Time limit: 1.0s Memory limit: 512M

2017 Fall Waterloo Local ACM Contest, Problem D

Vera has a grid with H rows and N columns. Rows are numbered 1 to H and columns are numbered 1 to N. Let the cell in the r-th row and c-th column be (r, c). Cells are coloured white or black. A colouring is a pyramid if:

- Exactly *N* cells are black.
- (1,1) is black.
- If (r, a) and (r, b) are black, then (r, k) is black for a < k < b.
- If (r, c) is black, then (r 1, c), if it exists, is black.
- If (r, c) is black and there is no k < c such that (r, k) is black, then (r + 1, c), if it exists, is white.

Two pyramids are different if there is a cell that is white in one pyramid and black in the other. Compute the number of different pyramids modulo $10^9 + 7$.

Input

Line 1 contains integers H and N $(1 \le H, N \le 10^5)$.

Output

Print one line with one integer, the number of different pyramids modulo $10^9 + 7$.

Sample Input 1

26

Sample Output 1

7

Sample Input 2

3 20

Sample Output 2

487

Note

For the first example, the seven pyramids are:

######	####	####	#####.	#####.	#####.	#####.	
••••	.##	##	.#	#	#	#.	