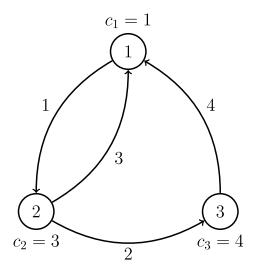
**Time limit:** 2.0s **Memory limit:** 512M

There are n cities numbered from 1 to n. The delicacy at city i may provide  $c_i$  units of happiness. The cities are connected by m one-directional roads, and the roads are numbered from 1 to m. Road i begins in city  $u_i$  and ends in city  $v_i$ . It takes  $w_i$  days to travel along road i. In other words, if one departs from city  $u_i$  and travels along road i on day i0, then the person will arrive at city i1 on day i2 on day i3.

W is planning a trip lasting T days. More specifically, he will depart from city 1 on day 0, travel T days, and return to city 1 on day T exactly and finish the trip. Since W is an epicure, once W arrives in a city (including city 1 on day 0 and day 0), he will try the delicacies in that city and gain some units of happiness. If W visits a city multiple times, he is able to gain the units of happiness multiple times. Notice that W may *not* stop at any city, which means if he arrives in a city and the trip hasn't ended, he must depart the city on the same day.



For the above example, a possible itinerary lasting 11 days for W is  $1 \to 2 \to 1 \to 2 \to 3 \to 1$ . The total units of happiness of the trip is 13.

Moreover, there are k food festivals happening at *different* times. More formally, the i-th food festival is hosted in city  $x_i$  on day  $t_i$ . If W is in city  $x_i$  on  $t_i$ -th day, then he will obtain an *additional*  $y_i$  units of happiness for tasting the delicacies in city  $x_i$ . Now W wants to know the maximum possible units of happiness he may get from the trip.

#### **Input Specification**

The input begins with four integers n, m, T, k, denoting the number of cities, the number of roads, the length of the trip, and the number of food festivals. The second line contains n integers  $c_i$  denoting the units of happiness W may obtain from tasting the delicacies in each city. The following m lines contain three integers  $u_i, v_i, w_i$  each denoting the start, end, and the days required to travel along road i. The last k lines contain three integers  $t_i, x_i, y_i$  on each line, denoting the time of the food festival, the host city, and the additional units of happiness the food festival can provide.

The data guarantees: for all i, we have  $u_i \neq v_i$ . However, there might be parallel one-directional roads, or in other words, there may exist  $1 \leq i < j \leq m$  such that  $u_i = u_j$  and  $v_i = v_j$ . For each city, there exists a road departing the city. The time of the food festivals  $t_i$  are distinct.

## **Output Specification**

The output contains only one integer, denoting the maximum possible level of happiness W may obtain from the trip. If W cannot return to city 1 on day T, output -1.

## **Sample Input 1**

```
3 4 11 0
1 3 4
1 2 1
2 1 3
2 3 2
3 1 4
```

### **Sample Output 1**

```
13
```

## **Sample Input 2**

```
4 8 16 3
3 1 2 4
1 2 1
1 3 1
1 3 2
3 4 3
2 3 2
3 2 1
4 2 1
4 1 5
3 3 5
1 2 5
5 4 20
```

# **Sample Output 2**

```
39
```

The optimal itinerary is  $1 \rightarrow 3 \rightarrow 4 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow 1.$ 

## **Constraints**

For all test cases,  $1 \leq n \leq 50$ ,  $n \leq m \leq 501$ ,  $0 \leq k \leq 200$ ,  $1 \leq t_i \leq T \leq 10^9$ .  $1 \leq w_i \leq 5$ ,  $1 \leq c_i \leq 52\,501$ ,  $1 \leq u_i, v_i, x_i \leq n$ ,  $1 \leq y_i \leq 10^9$ .

Test Case	n	m	igg  T	Additional Constraints
1~4	$\leq 5$	$\leq 50$	$\leq 5$	None.
5~8	$\leq 50$		$\leq 52501$	
9~10			$\leq 10^9$	$n=m$ and $u_i=i$ , $v_i=(i mod n)+1$ .
11~13				k=0
14~15				$k \leq 10$
16~17				None.
18~20		$\leq 501$		