# Mock CCC '23 1 S5 - The Obligatory Data Structures Problem

#### Time limit: 4.0s Memory limit: 1G

Mock CCC wouldn't be a real mock CCC without a data structures problem, would it?

You're given two sequences of N integers a and b, and you need to support two operations:

- Update(1, r, x) set  $a_l$  through  $a_r$  to all be equal to x.
- Query(1, r) compute the number of indices i where  $l \leq i \leq r$  and  $a_i \geq b_i$ .

DMOJ has been having some issues with test data taking up too much space, so you're going to generate the operations and solve the problem for us!

# Constraints

 $1 \leq N \leq 10^5$ 

- $1 \leq M \leq 3 \cdot 10^6$
- $1 \leq A, B \leq 2^{16}$
- $1 \leq a_i, b_i \leq 10^9$

In tests worth 1 mark,  $M \leq 50.$ 

In tests worth an additional 2 marks,  $M \leq 10^{6}.$ 

In tests worth an additional 4 marks,  $M \leq 2 \cdot 10^6$ .

## **Input Specification**

The first line contains four integers, N, M, A, and B.

The second line contains N integers, the sequence  $\boldsymbol{a}.$ 

The third line contains  $\boldsymbol{N}$  integers, the sequence  $\boldsymbol{b}.$ 

Because the number of operations is large, you'll be generating the m operations using the following code.

```
int a = A, b = B, C = ~(1<<31), M = (1<<16)-1;
int rnd(int last) {
    a = (36969 + (last >> 3)) * (a & M) + (a >> 16);
    b = (18000 + (last >> 3)) * (b & M) + (b >> 16);
    return (C & ((a << 16) + b)) % 1000000000;
}
```

The intended solution does not exploit the random number generation used; it would work even if the operations were hand-constructed.

For the *i*th operation, call rnd three times, setting *l* to be rnd(last) % n + 1, then *r* to be rnd(last) % n + 1, then *x* to be rnd(last) + 1. If l > r, then swap them. if l + r + x is even, the *i*th operation is Query(1, r). Otherwise, it is Update(1, r, x).

last is always the last return value of Query. last starts out being 0.

### **Output Specification**

Let  $v_i$  be 0 if the *i*th operation was an Update, and the result of the Query operation otherwise. Output  $\sum_{i=1}^{m} i \cdot v_i$  modulo 998244353.

#### Sample Input

5 10 5 6 5 4 5 2 1 1 2 2 4 5

#### **Sample Output**