Time limit: 2.0s Memory limit: 512M

A straight stick of length 10^9 is placed from the left to the right. You can ignore the weight of the stick. In total, N unit weights are attached to the stick. The positions of the N weights are different from each other. The position of the i-th weight $(1 \le i \le N)$ is A_{i} , i.e., the distance between the i-th weight and the leftmost end of the stick is A_i .

In the beginning, we have a box of width w. We place the stick on the box so that the box supports the range from l to r of the stick ($0 \le l < r \le 10^9$), inclusive, i.e., the range of the stick from the point whose position is l to the point whose position is r. Here, r = l + w is satisfied. We cannot change the values of l and r afterward.

Next, among the weights attached to the stick, we remove the leftmost one or the rightmost one. We shall repeat this operation N-1 times. In this process, including the initial state and the final state, the barycenter of the weights attached to the stick should remain in the range from l to r, inclusive. Here, if m weights are attached to the stick whose positions are b_1, b_2, \ldots, b_m , the position of the barycenter is $\frac{b_1+b_2+\cdots+b_m}{m}$.

Given the number of weights N and the positions of the weights A_1, A_2, \ldots, A_N , write a program which calculates the minimum possible width w of the box.

Input Specification

Read the following data from standard input. Given values are all integers.

N

 $A_1 A_2 \dots A_N$

Output Specification

Write one line to the standard output. The output should contain the minimum possible width w of the box. Your program is considered correct if the relative error or the absolute error of the output is less than or equal to 10^{-9} . The format of the output should be one of the following.

- Integer. (Example: 123, 0, -2022)
- A sequence consisting of an integer, the period, a sequence of numbers between 0 and 9. The numbers should not be separated by symbols or spaces. There is no restriction on the number of digits after the decimal point. (Example: 123.4, -123.00, 0.00288)

Constraints

- $2 \le N \le 200\,000.$
- $0 \le A_1 < A_2 < \dots < A_N \le 10^9$.

Subtasks

2: (1 point) $N \leq 20$ 3: (33 points) $N \leq 2000$. 4. (33 points) No additional constraints.

Sample Input 1

3 124

Sample Output 1

0.83333333333

Explanation for Sample 1

Let the width of the box be $\frac{5}{6}$. We put $l = \frac{3}{2}$, $r = \frac{7}{3}$. We perform the following operations.

- In the beginning, the position of the barycenter is $\frac{7}{3}$.
- In the first operation, we remove the rightmost weight (the weight whose position is 4). Then the barycenter becomes ³/₂.
- In the second operation, we remove the leftmost weight (the weight whose position is 1). Then the barycenter becomes 2.

In this process, the barycenter remains in the range from l to r. Since the width of the box cannot be smaller than $\frac{5}{6}$, output $\frac{5}{6}$ in a decimal number.

This sample input satisfies the constraints of all the subtasks.

Sample Input 2

6 1 2 5 6 8 9

Sample Output 2

1.166666667

This sample input satisfies the constraints of all the subtasks.