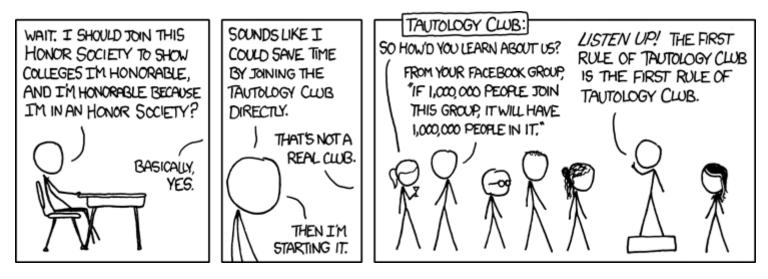
DWITE '11 R3 #5 - Tautology

Time limit: 1.0s Mer

Memory limit: 64M

DWITE, December 2011, Problem 5



We define a propositional formula as follows:

- $\{a, b, \dots, j\}$ are atomic propositions, representing either true or false.
- If A and B are propositional formulae, then so are:
 - $\circ \ A \wedge B \wedge \text{ is boolean "and"} \\$
 - $A \lor B \lor$ is boolean "or"
 - $\neg A \neg$ is boolean "not"

For example, $((a \lor b) \land (\neg c \lor a))$ is a propositional formula. A **tautology** is a propositional formula that equates to **true** for **all possible** value assignments to the atomic propositions. Our previous example $((a \lor b) \land (\neg c \lor a))$ is not a tautology because for the assignments a = false, b = false and c = true, the formula evaluates to a false. However $(a \lor \neg a)$ is a tautology because no matter what the atomic proposition is this equates to true; (true or not-true) == true, (false or not-false) == true.

The input will contain 5 test cases, each three lines (not more than 255 characters) with a propositional formula per line.

The output will contain 5 lines of output, each three characters long. Y for **tautology**, N for **not tautology**.

Sample Input

```
((a v b) ^ (~c v a))
(a v ~a)
~(a ^ ~a)
a
~b
((a ^ b) v ~(c ^ ~c))
```

Sample Output

NYY NNY

Problem Resource: DWITE