#### Time limit: 2.0s Memory limit: 256M

Counting is very difficult so Veshy asks you for help. You are given two positive integers, a and b. You want to find the highest power of a, n, that will divide into b!. In other words, you want to find the maximum n such that  $a^n$  divides into b!.

## **Input Specification**

The input is a single line containing two space-separated integers, a and b in that order.  $2 \le a < b \le 10^6$ 

# **Output Specification**

Output on a single line, the number n such that  $a^n$  divides into b! and n is the greatest possible.

## Sample Input 1

8 849

## Sample Output 1

281

### Sample Input 2

2 2020

### Sample Output 2

2013

### Explanation

In sample input 1,  $8^{281}$  is the highest power of 8 that can divide into 849!. In sample input 2,  $2^{2013}$  is the highest power of 2 that can divide into 2020!.