

# CEOI '16 P2 - Kangaroo

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**Time limit:** 1.0s    **Memory limit:** 512M

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A garden is composed of a row of  $N$  cells numbered from 1 to  $N$ . Initially, all cells contain plants. A kangaroo arrived in the garden in cell numbered  $c_s$ . Then he jumps from cell to cell, eating the plants as he goes. He will always finish in cell numbered  $c_f$ , after visiting each of the  $N$  cells exactly once, including  $c_s$  and  $c_f$ . Obviously, the kangaroo will make  $N - 1$  jumps.

The kangaroo doesn't want to be caught, so after each jump he changes the direction in which he jumps next: if he is currently in cell numbered  $current$  after he jumped there from a cell numbered  $prev$ , and will jump from  $current$  to cell numbered  $next$ , then:

- if  $prev < current$ , then  $next < current$ ; else,
- if  $current < prev$ , then  $current < next$ .

Knowing the number  $N$  of cells in the garden, the starting cell  $c_s$  from where the kangaroo starts to eat plants and the final cell  $c_f$  where the kangaroo finishes, you should calculate the number of distinct routes the kangaroo can take while jumping through the garden.

## Input

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The input will contain three space separated positive integers  $N, c_s, c_f$ .

## Output

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In the output, you should write a single integer, the number of distinct routes the kangaroo can take modulo 1 000 000 007 ( $10^9 + 7$ ).

## Notes and constraints

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- $2 \leq N \leq 2\,000$
- $1 \leq c_s \leq N$
- $1 \leq c_f \leq N$
- $c_s \neq c_f$
- For tests worth 6 points,  $N \leq 8$ .
- For tests worth 36 points,  $N \leq 40$ .
- For tests worth 51 points,  $N \leq 200$ .
- Any route is uniquely determined by the order in which cells are visited.
- We guarantee that for each test there is at least one route which follows the rules.
- The kangaroo can start jumping in any direction from  $c_s$ .

## Sample Input

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4 2 3

## Sample Output

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2

## Explanation

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The kangaroo starts from cell 2 and finishes in cell 3. The two correct routes are  $2 \rightarrow 1 \rightarrow 4 \rightarrow 3$  and  $2 \rightarrow 4 \rightarrow 1 \rightarrow 3$ .