## **Bad Paths**

**Time limit:** 1.0s **Memory limit:** 256M

I am currently travelling across a tree with  $x_i$  vertices.

A simple path between two distinct vertices is called *good* if every edge in the path belongs to the tree. All other simple paths between two distinct vertices are called *bad* because they contain an edge not found in the tree.

For optimization purposes, I have a plan to create an edge between every pair of vertices, if they are not already directly connected. Since edges are expensive, I will base this decision on the number of **distinct** bad paths. In other words, how many new paths would be created? Please help me calculate this number modulo  $10^9 + 7$ .

**Note:** A simple path does not visit the same vertex twice. Two simple paths are considered **distinct** iff there is an edge in one path that is not used in the other path.

**Note 2:** The exact structure of the tree is irrelevant.

#### **Constraints**

For all cases:

$$1 \leq N \leq 10^5$$

No  $x_i$  will appear twice in the same test case.

Subtask	Points	$x_i$	
1	20	$1 \leq x_i \leq 5$	
2	30	$1 \leq x_i \leq 100$	
3	50	$1 \leq x_i \leq 10^6$	

### **Input Specification**

The first line contains the integer N ( $1 \le N \le 10^5$ ).

N lines of input follow. The  $i^{
m th}$  line contains  $x_i$ .

#### **Output Specification**

For each  $x_{ii}$  output the number of bad paths modulo  $10^9 + 7$ .

#### **Sample Input**

2			
2			
3			

# **Sample Output**

0 3